

CAU -HIGH SPEED TEST BENCH

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OVERVIEW



- dv/dt filter design
 - Design Approach
 - Inductor Optimization
 - Next steps
- Control Scheme for electric drive
 - Introduction
 - Fuzzy based ALADRC
 - Next steps



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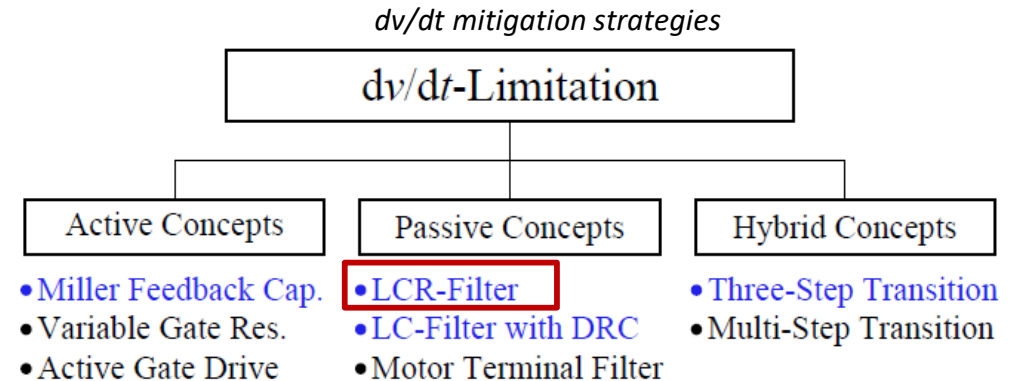
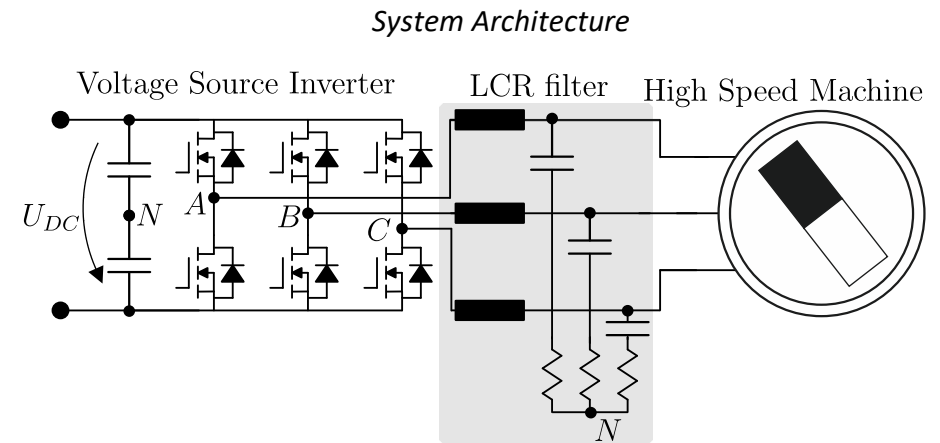

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dv/dt filter design for high speed machine drives



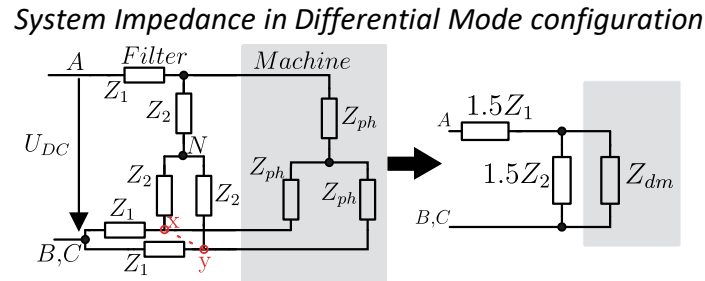
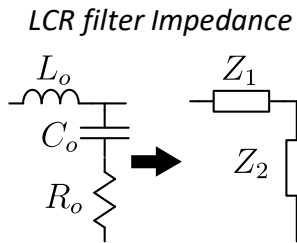
HIGH SPEED MOTOR DRIVE

- *High speed machines are characterized by low impedance and high fundamental frequency*
- *Wide Band Gap (WBG) technology suitable for high speed and high frequency inverters but come with challenges*
- *Studies show strong dependence of winding insulation lifetime on voltage slewrates (dv/dt) for stator windings of electric machines*
- *Multiple (dv/dt) mitigation strategies available, out of which passive LCR filter strategy is analyzed in this work*



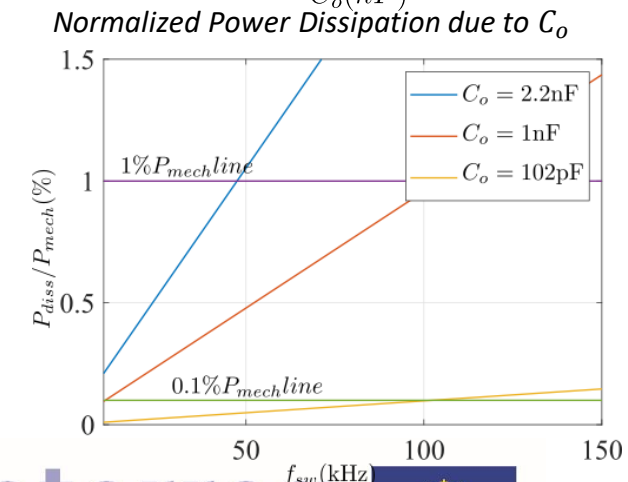
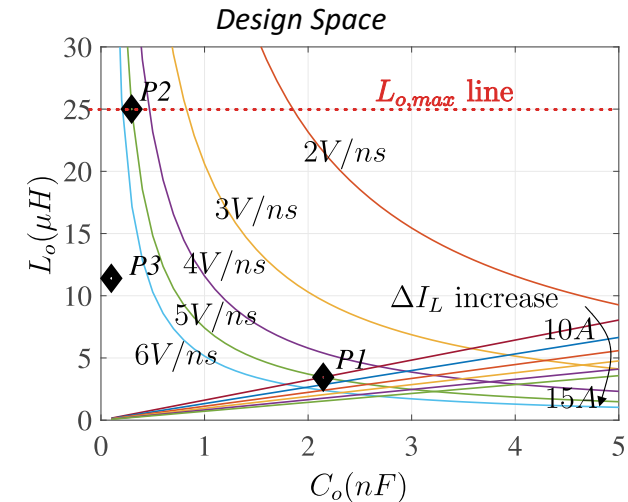
DESIGN APPROACH

- **P1: Standard second order filter approach ($Z_{dm} = \infty$) - unoptimized solution with high P_{diss} for given f_{sw}**
- **P2: Max Inductance ($\leq 2\% Z_{base}$) Approach – Reduced filter capacitor but higher than 0.1% P_{diss}**
- **P3: Machine Impedance Z_{dm} incorporated filter design**



Design	L_o (μH)	C_o (nF)	R_o (Ω)
Design Space Approach (P1)	3.5	2.1	20
Max Inductance Approach (P2)	25	0.21	174
Z_{dm} incorporated Approach (P3)	11.4	0.1	170

Around 54% reduction in filter inductor and less than 0.1% P_{diss} due to filter capacitor



INDUCTOR OPTIMIZATION

- Fast analytical technique estimation of inductor parameters
- Two part optimization (1. Scaling factor σ , 2. Current density J_{rms})
- Power losses in Inductor : Winding(P_{wind}) , Core losses (P_{core})

$$P_{wind} = R_{dc} I_{dc}^2 + c_0 R_{dc} I_{ac}^2 \quad R_{dc} = \frac{N l_{avg}}{4g A_{cond}}$$

$$P_{core} = V_e \cdot p_v \quad p_v = \frac{k_i (\Delta B)^{\beta-\alpha}}{T} \sum_m \left| \frac{B_{m+1} - B_m}{t_{m+1} - t_m} \right|^\alpha (t_{m+1} - t_m)$$

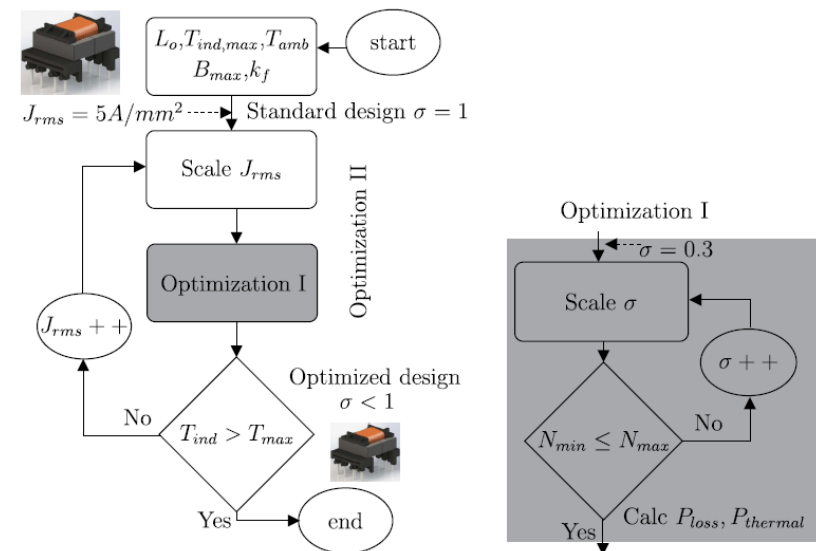
- Thermal losses in Inductor : $P_{th} = \frac{T_{ind} - T_{amb}}{R_{th}}$
 $R_{th} = 53 (V_e \sigma^3)^{-0.54}$

Comparison of different inductor design w.r.t Volume and Temperature

Design	V_e (cm ³)	T_{ind} (°C)	J_{rms} A/mm ²
D_1 :Standard	7.63	52	5
D_2 :Optimized I	6.33	60	5
D_3 :Optimized II	4.21	100	8.6

- Around 45% reduction in volume with higher utilization of the inductor materials

Inductor Optimization Algorithm for volume reduction



Parameter	Description	Value	Unit
L_o	Filter Inductance	11.4	μ H
T_{ind}	Inductor temperature	100	°C
T_{amb}	Ambient temperature	25	°C
B_{max}	Maximum flux density	250	mT

EXPERIMENTAL VALIDATION

- *Initial experimental validation with existing inverter and components and connections in differential mode configuration*

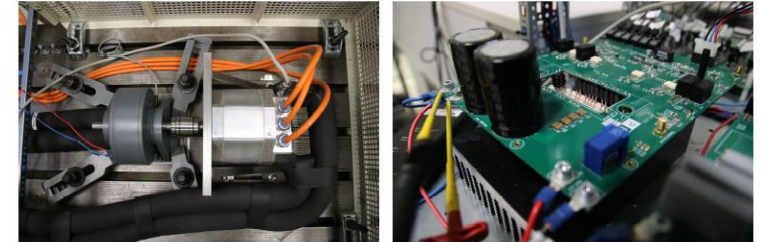
Outcomes

- *Accounting for machine impedance into LCR filter design can reduce the filter size (approx. 50%) and lead to high efficiency designs*
- *With inductor optimization around 45% reduction of inductor volume*

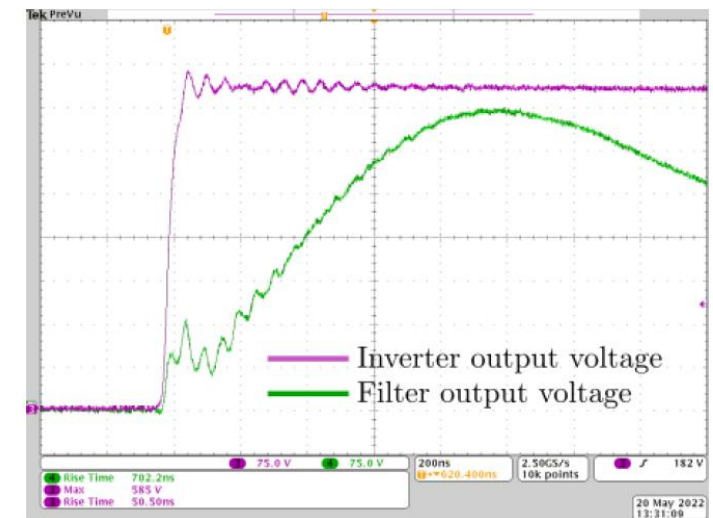
Next Steps

- *Implementation of inverter with Danfoss three-phase 2-level power module in progress*
- *Improve inductor design with suitable core material for application at high frequency*

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Experimental validation with existing components with inverter voltage slewrate 9V/ns and $L_o = 36\mu\text{H}$, $C_o = 67\text{pF}$, $R_o = 225\Omega$



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Fuzzy based ALADRC



CURRENT LADRC (CLADRC)

- In the PMSM dq frame model all the quantities are usually considered to be constant.
- the back electromotive force (bemf) term is $d = \omega \psi_{pm}(t)$ where if the linkage flux is assumed to be **time-variant** because of the distortion due to motor rotor anisotropy.
- The latter effect might lead to **motor phase currents harmonic distortion**.
- To cope with this problem a **Current Linear Active Rejection Control (CLADRC)** has been used to perform a better rejection action on motor currents.

- $\frac{di_q}{dt} = \frac{1}{L_q} v_{sq} - \left(\frac{1}{L_q} - \frac{1}{L_d} \right) v_{sq} - \omega i_d - \frac{R_s}{L_q} i_q - \frac{\psi_{pm}}{L_q} \omega$, setting as

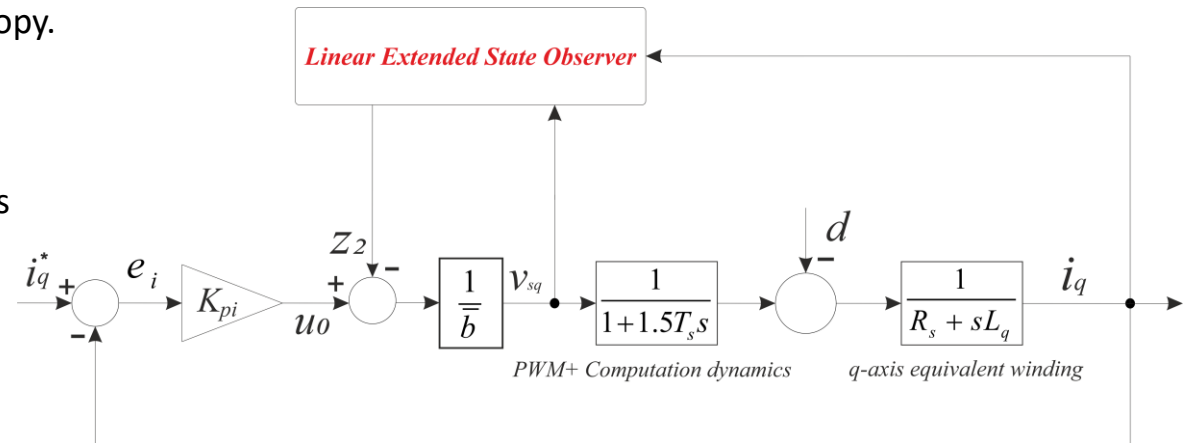
$y(t) = i_q(t)$, $u(t) = v_{sq}(t)$ and then :

$$\frac{di_q}{dt} = \bar{b} v_{sq} + f$$

where $\bar{b} = \frac{1}{L_q}$, $b = \frac{1}{L_d}$ and $f = - \left(\frac{1}{L_q} - \frac{1}{L_d} \right) v_{sq} - \omega i_d - \frac{R_s}{L_q} i_q - \frac{\psi_{pm}}{L_q} \omega$

- The decoupling terms are supposed to be feed forwarded such that the LADRC will only have to compensate for non linearities and uncertainties.

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• CLADRC block diagram .



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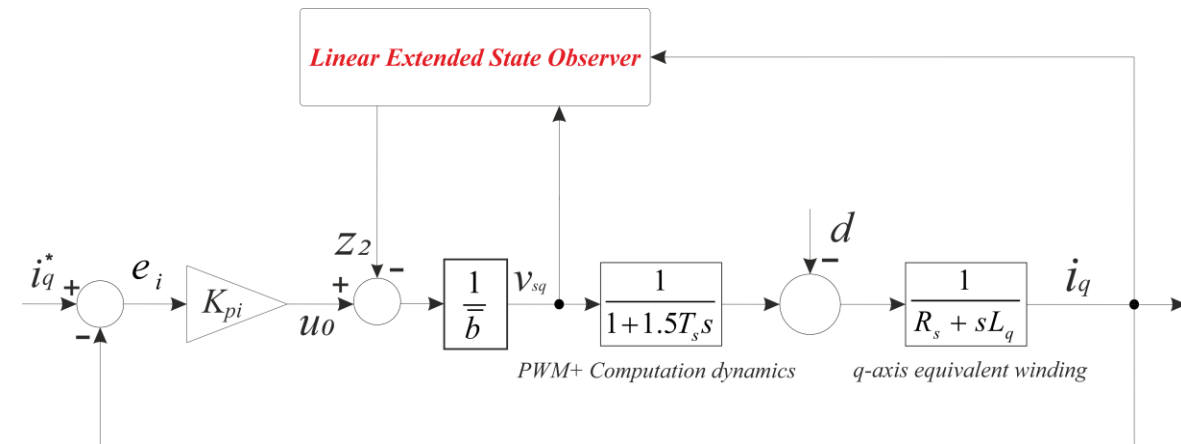
CURRENT LADRC (CLADRC)

- $u_0 = K_p (i_q^* - i_q)$, $v_{sq} = \frac{u_0 - z_2}{\bar{b}}$ and $\dot{i}_q = \bar{b} v_{sq} + f = u_0 - z_2 + f$ and if the LESO is able to estimate the disturbance perfectly then:

$$\frac{u_0}{s} \approx i_q(t)$$

and the closed loop transfer function can be approximated to a first order:

$$\frac{i_q}{i_q^*} = \frac{k_p}{s + k_p}$$



- In this case, K_p has been tuned in order to **match the CLADRC and Technical Optimum (TO) dynamics**.
- By considering the equivalent TO first order transfer function then:

$$\frac{k_p}{s + k_p} = \frac{1}{1 + 3Ts}$$

i.e.

$$k_p = \frac{1}{3Ts}$$

- CLADRC block diagram .

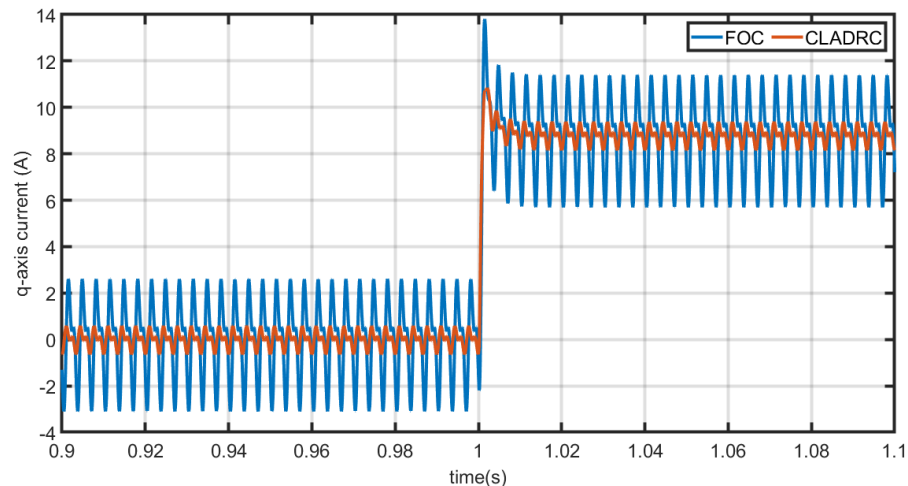
RESULTS: CLADRC

- As can be shown from the fig. below the q-axis currents are characterized by the same dynamic. However CLADRC achieves less overshoot as well as reduced current oscillation.
- At $t=1$ s a 2 Nm torque applies.
- The k_p and $\omega_{0\text{ CLADRC}}$ values to achieve for the desired dynamic performances are the following:

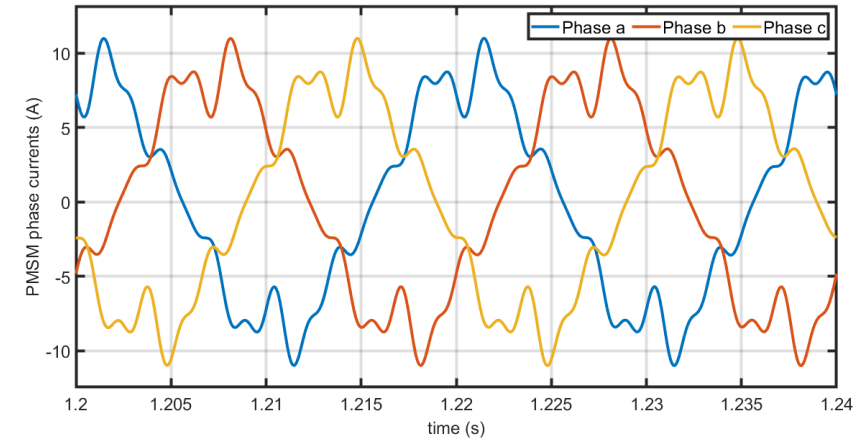
$$k_p = \frac{1}{3T_s}$$

$$\omega_{0\text{ CLADRC}} = 20 \cdot 10^3 \text{ rad/s}$$

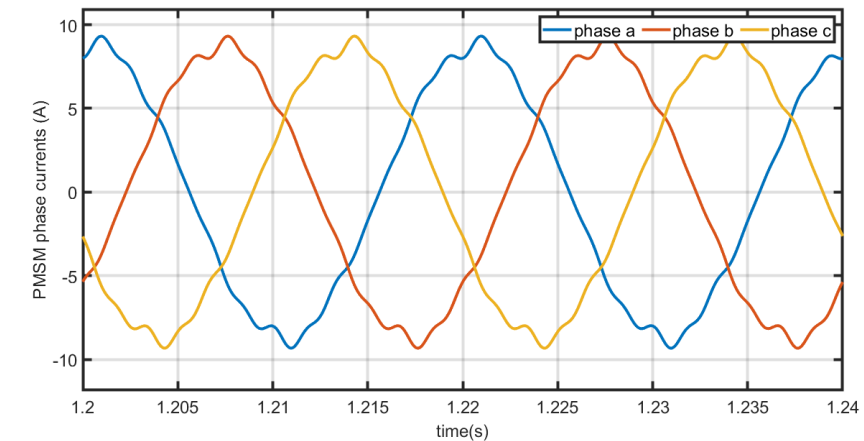
- where T_s is the switching period of 20kHz.



• Fig. q-axis current dynamics.



(a)



(b)

- Fig. (a) SPMSM phase currents with distorted flux linkage and classic PI control .
(b) SPMSM phase currents with distorted flux linkage and CLADRC .



OUTLOOK ON FUTURE STEPS



- ✓ Effectiveness evaluation by means of experimental results.
- ✓ Further improvement of ALADRC by robust control strategy integration.
- ✓ Further improvement of CLADRC by resonant control integration.

Thank you for your attention!



Back up slides - dv/dt filter design for high speed machine drives



DESIGN APPROACH

- Standard design approach is second order filter design formulae for dv/dt reduction

$$\omega_o = \frac{1}{\sqrt{L_o C_o}} \quad Q = \frac{1}{R_o} \sqrt{\frac{L_o}{C_o}}$$

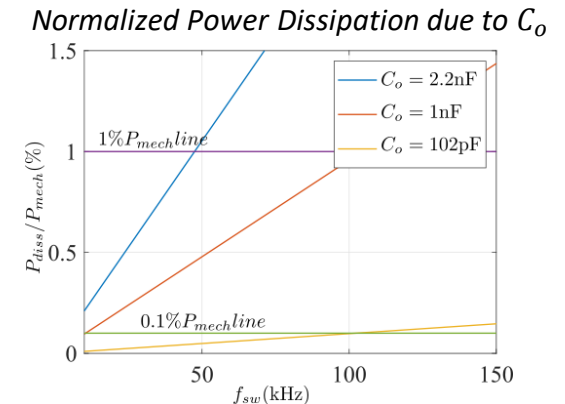
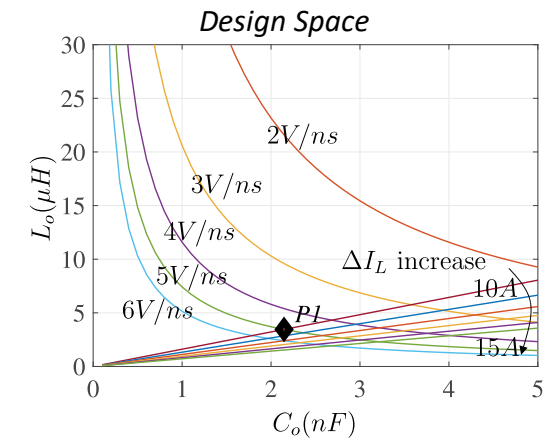
- $f_o = \omega_o / (2\pi)$ is chosen a decade higher than f_{sw} while maintaining $Q = 0.5$ and respecting the NEMA standard

$$\omega_o = \Omega \frac{1}{t_r} \quad Z_o = \gamma \cdot Z_{eff}$$

- The above formulae can be linked to system requirements of dv/dt and the ripple current in the inductor leading to the parameters C_o, L_o, R_o

$$C_o = \frac{1}{Z_o \omega_o}, \quad L_o = \frac{Z_o}{\omega_o}, \quad R_o = Q \cdot Z_o$$

- For a dv/dt of 5V/ns and current ripple of 10A leads to $L_o = 3.5\mu H, C_o = 2.2nF, R_o = 20\Omega$ (point P1) leading to high losses due to C_o for high switching frequency f_{sw}



DESIGN APPROACH

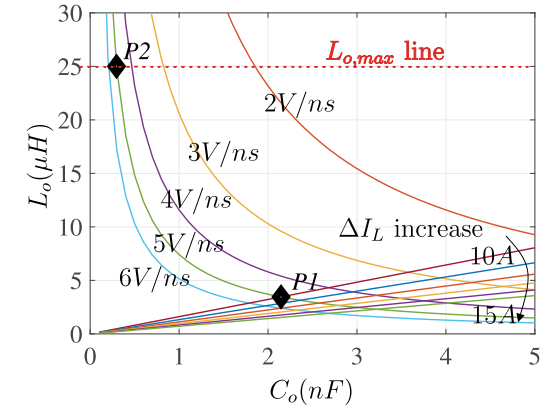
- Max Inductance design technique can reduce the losses due to filter capacitor for a given dv/dt .
- Max filter inductance $< 2\%$ of Z_{base}

$$Z_o = \omega L_o \leq 2\% Z_{base} = (2\%) \cdot \left(\frac{U_{base}^2}{S_{base}} \right)$$

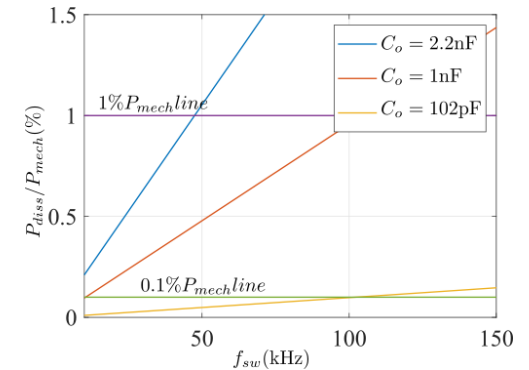
- Reduce the filter capacitor $C_o = 300\text{pF}$
- $R_o = 174\Omega$ and $L_o = 25\mu\text{H}$ seen as P2
- The power dissipation due to filter capacitor are reduced but still not highly efficient solution. If the filter capacitor can be reduced below 102pF , these losses are less than 0.1% and allow to push the WBG inverter frequency higher.



Design Space



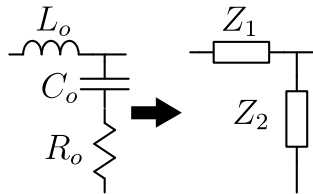
Normalized Power Dissipation due to C_o



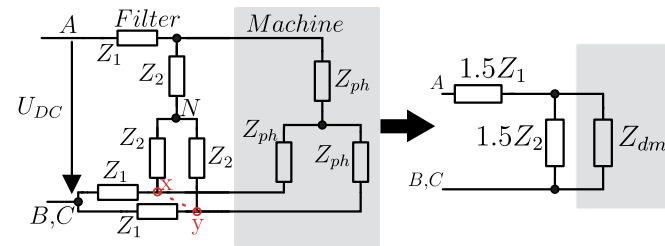
DESIGN APPROACH

- Machine Impedance Z_{dm} incorporated filter design

LCR filter Impedance



System Impedance in Differential Mode configuration



- High frequency model of the machine required for the integrated design to reduce filter size
- FFT based evaluation of the design space and leads to polynomial fit for requirements as

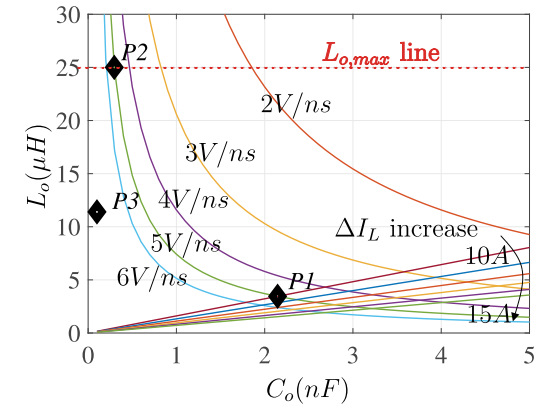
$$L_o = (-5.39 \cdot 10^{-8} \cdot C_o^3 + 6.39 \cdot 10^{-5} \cdot C_o^2 - 0.0363 \cdot C_o + 14.48)$$

(L_o in μH , $C_o \in [0, 600]$ in pF)

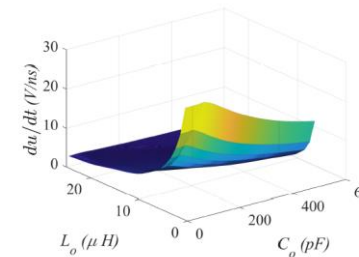
- Reduced filter parameters $L_o = 11.4\mu H$, $C_o = 100pF$, $R_o = 174\Omega$
- Capacitor dissipation losses less than 0.1%
- Around 54% reduction in filter inductor



Design Space



dv/dt-filter design space



overshoot-filter design space

